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416

(72)

106 404

2

110 702

(74)

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(54)

8

1
2
3

2

2

$$R_c(x) = \begin{pmatrix} (a+2)|x|^3 - (a+3)|x|^2 + 1 & \dots & 0 \leq |x| \leq 1 \\ a|x|^3 - 5a|x|^2 + 8a|x| - 4a & \dots & 1 \leq |x| \leq 2 \end{pmatrix}$$

, a = -1/2 , 1

$$u(x) = \begin{cases} \frac{3}{2}|x|^3 - \frac{5}{2}|x|^2 + 1 & \dots & 0 < |x| < 1 \\ -\frac{1}{2}|x|^3 + \frac{5}{2}|x|^2 - 4|x| + 2 & \dots & 1 < |x| < 2 \\ 0 & \dots & 2 < |x| \end{cases}$$

3 2 Y p , 1 가

$$Y_p = \begin{cases} [-\frac{1}{2}(1+t)^2 + \frac{5}{2}(1+t)^2 - 4(1+t) + 2] Y_{k-1} + [\frac{3}{2}t^3 - \frac{5}{2}t^2 + 1] Y_k + [\frac{3}{2}(1-t)^3 - \frac{5}{2}(1-t)^2 + 1] Y_{k+1} + [-\frac{1}{2}(2-t)^3 + \frac{5}{2}(2-t)^2 - 4(2-t) + 2] Y_{k+2} \end{cases}$$

(3) t k-1, k, k+1, k+2 (4) , Y_{k-1}, Y_k, Y_{k+1}, Y_{k+2}

$$Y_p = [(Y_{k+2} + 3Y_{k+1} + 3Y_k + Y_{k-1})/2] t^3 + [(-Y_{k+2} + 4Y_{k+1} - 5Y_k + 2Y_{k-1})] t^2 + [(Y_{k+2} - 2Y_{k-1})/2] t + Y_k$$

(4) (5)

$$Y_p = C_1 Y_{k-1} + C_2 Y_k + C_3 Y_{k+1} + C_4 Y_{k+2}$$

- C₁ = (-t³ + 2t² - t)/2
- C₂ = (3t³ - 5t² + 2)/2
- C₃ = (-3t³ + 4t² + t)/2
- C₄ = (t³ - t²)/2

C₁, C₂, C₃, C₄ (lookup table)

가 , 가 4 가

가 5 (bank)

가

가 가 , 가
 , N 가
 , 0~1 5 0 1 t 0.2 0.1 C₁, C₂, C₃, C₄ Y_p가 0~0.2
 2 0.1 6a, 6b, 6c, 6d 3
 , N 1/N N
 (255 255 1 1) 가 t
 0.19 1 t = 0.19 0.1 216
 283 t t
 67
 7 (100) (105) (109)
 (S101). X, Y = Y, X = Y
 X / Y (100) Y_{k-1}, Y_k, Y_{k+1}, Y_{k+2} (S103). Y_{k-}
 1, Y_k, Y_{k+1}, Y_{k+2} k-1, k, k+1, k+2
 Y_{k-1}, Y_k, Y_{k+1}, Y_{k+2} 가 (100) t (S105).
 (100) t (101) t (11
 1) (S107). (101) (111)
 (100) Y_p (S109). (100) 가
 (S111).
 가 ,
 , t 가 .

$$C_n(t) = a_{kn}t + b_{kn}$$

, C_n , t , a_{kn} k n
 n-1 , b_{kn} k n-1

$$Y_p = Y_{n-1} C_{n-1} + Y_n C_n + Y_{n+1} C_{n+1} + Y_{n+2} C_{n+2}$$

$$Y_p = Y_{n-1} C_{n-1} + Y_n C_n + Y_{n+1} C_{n+1} + Y_{n+2} C_{n+2}$$

(200), (209) (203), (200) (205), (200a) (207), (100) (205), (207), (203), (200) (209), (203), (200) (205), (207), (209) (203), (200) (205), (207), (209)

(200a) (200) 9a, 9b, 9c, 9d 9a C₁, 9b C₂, 9c C₃, 9d C₄ X 가 N 가 N C₁ C₄ C₁ C₄ C₂ C₃ 가 N N* C₁ C₄ 가 aX + b < 1 a, b (decimation) Y > 1 X

7

$$C_n(t) = a_{kn} t + b_{kn}$$

C_n, t, a_{kn}, k, n, b_{kn}, k, n, k = 1, 2, 3, ..., k, ..., n = 2, 3, 4, ..., n, ...

(209) (200) (S201). X / X, Y =

$X_{k-1}, Y_k, Y_{k+1}, Y_{k+2}$ (200) $Y_{k-1}, Y_k, Y_{k+1}, Y_{k+2}$ (S203). Y_k
 $Y_{k-1}, Y_k, Y_{k+1}, Y_{k+2}$ 가 (200) X (S105).
 (200) t (200a) $(S207)$ t (200a)
 (200) $(200a)$ $(200a)$ (200
 (200) $(S211)$ (200) (205) (209) Y_p
 $(200a)$ $(S213)$.

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$$Y_p = Y_{n-1} C_{n-1} + Y_n C_n + Y_{n+1} C_{n+1} + Y_{n+2} C_{n+2}$$

Y_p, C_n, Y_n, n $n = 2, 3, 4, \dots, n, \dots$
 (200) $(S113)$.
 N 가 가 가 가 (200)
 $a) (200a)$ (200) (200)

(57)

1.

$$C_n(t) = a_{kn} t + b_{kn}$$

(C_n, C_n, n)
 $t, a_{kn}, b_{kn}, k, n, n-1, n-1, Y$
 $k = 1, 2, 3, \dots, k, \dots, n = 2, 3, 4, \dots, n, \dots$

2.

3.

1 ,

$$Y_p = Y_{n-1} C_{n-1} + Y_n C_n + Y_{n+1} C_{n+1} + Y_{n+2} C_{n+2}$$

(, Y_p ,

Y_n = n ,

C_n = n ,

n = 2, 3, 4, ..., n,)

4.

$$C_n(t) = a_{kn} t + b_{kn}$$

(, C_n n

t ,

a_{kn} k n , n-1

b_{kn} k n , n-1 Y

k = 1, 2, 3, ..., k, ... ,

n = 2, 3, 4, ..., n,)

5.

6.

4 ,

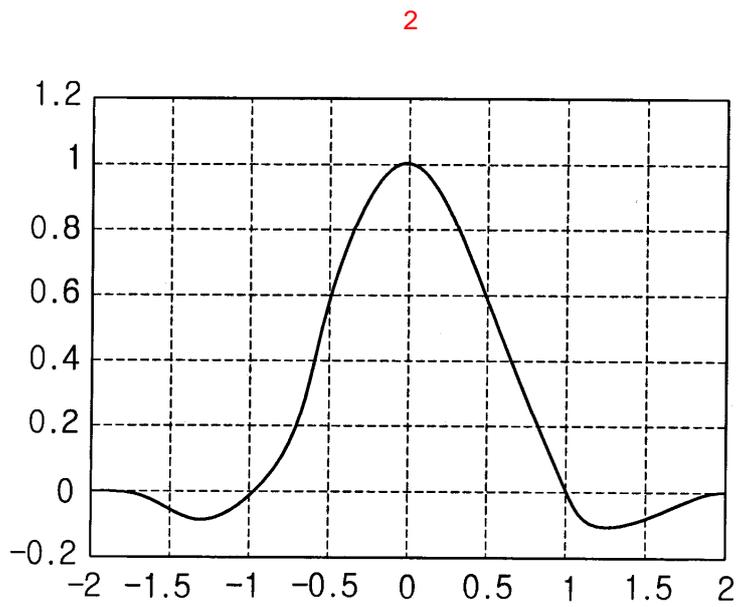
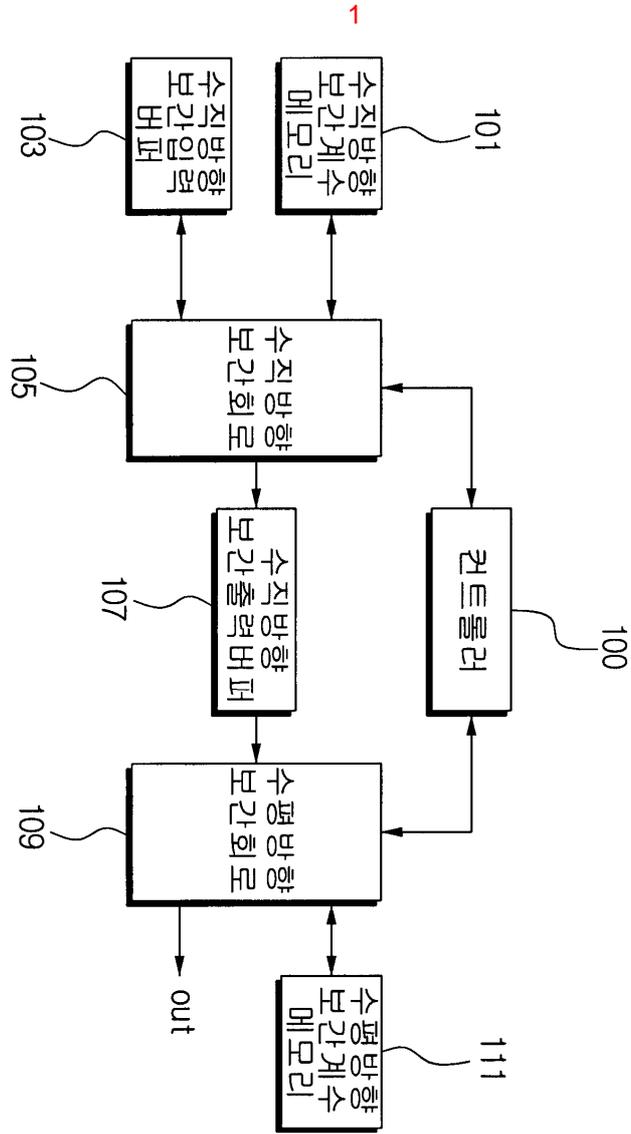
$$Y_p = Y_{n-1} C_{n-1} + Y_n C_n + Y_{n+1} C_{n+1} + Y_{n+2} C_{n+2}$$

(, Y_p ,

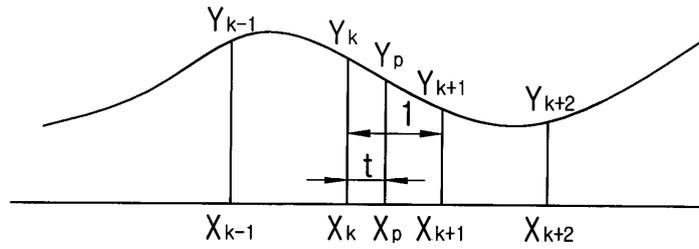
Y_n = n ,

C_n = n ,

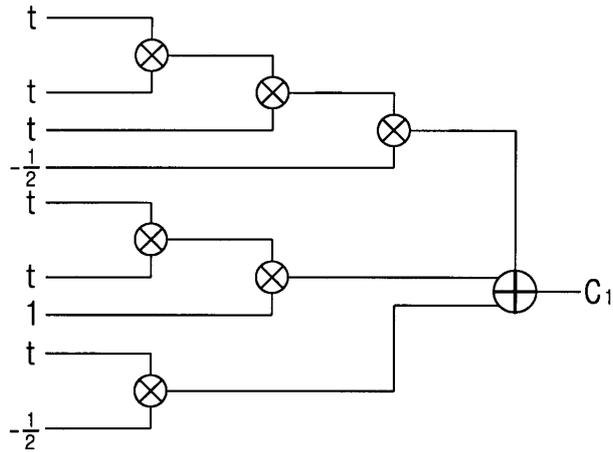
n = 2, 3, 4, ..., n,)



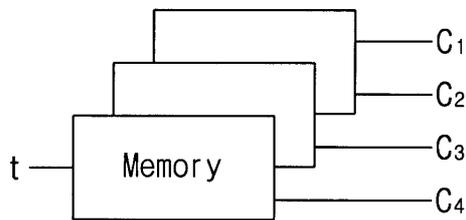
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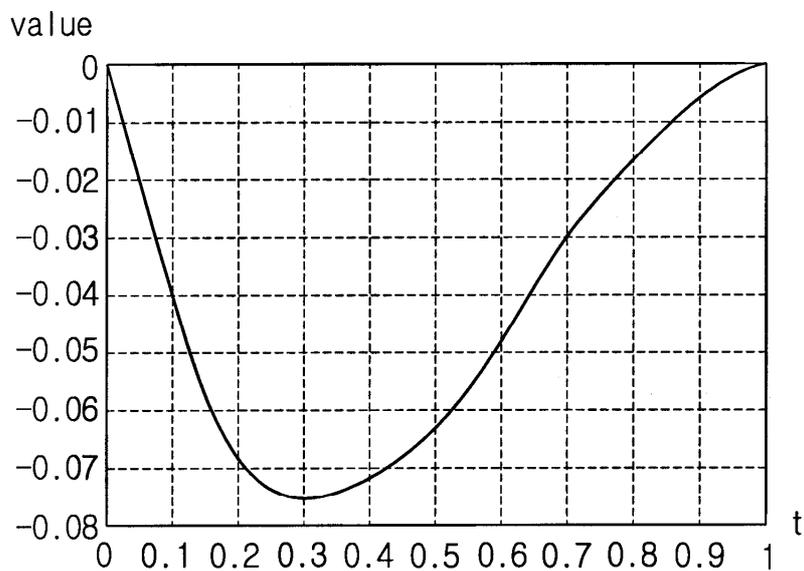
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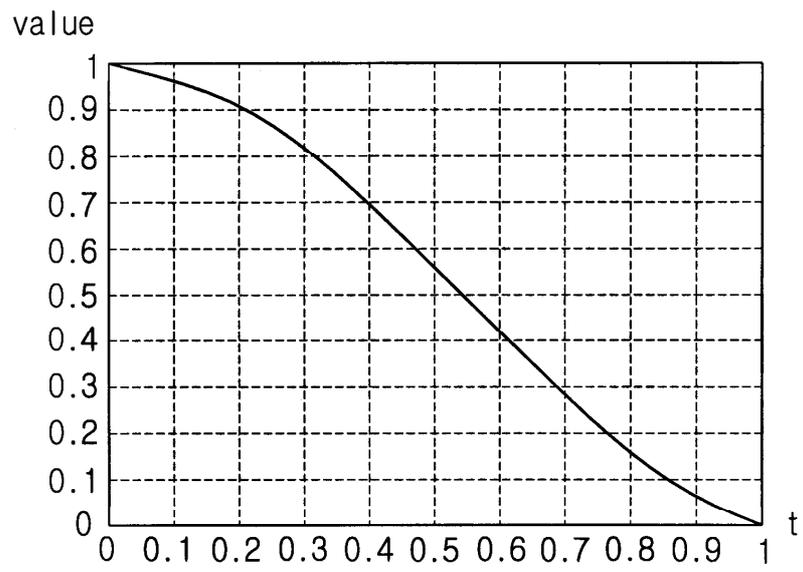
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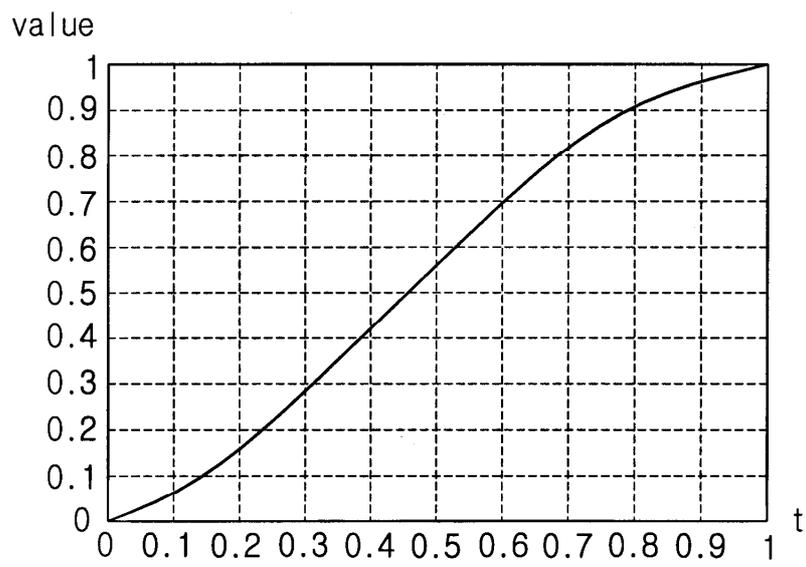
6a



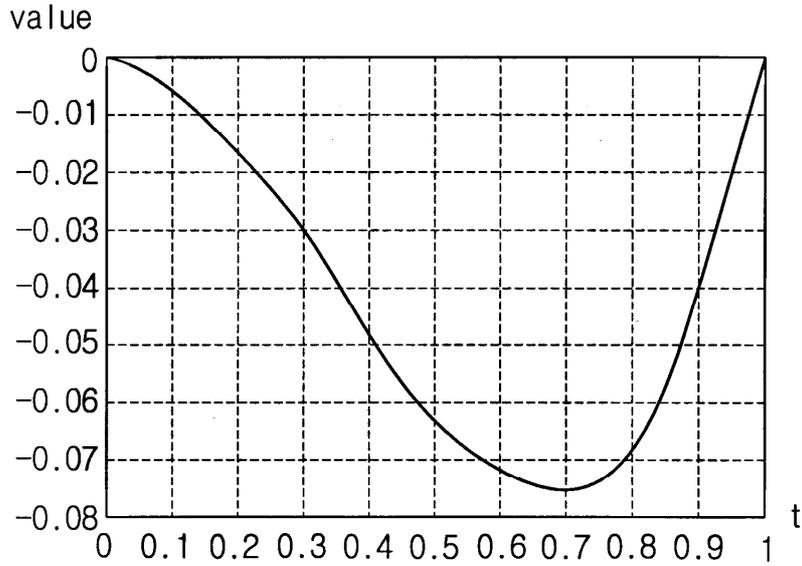
6b



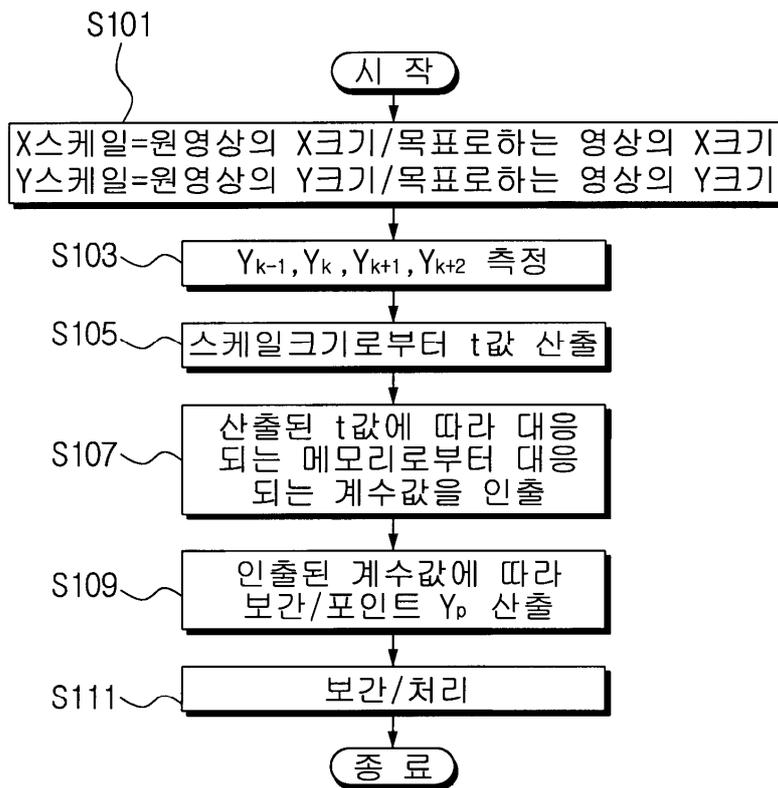
6c



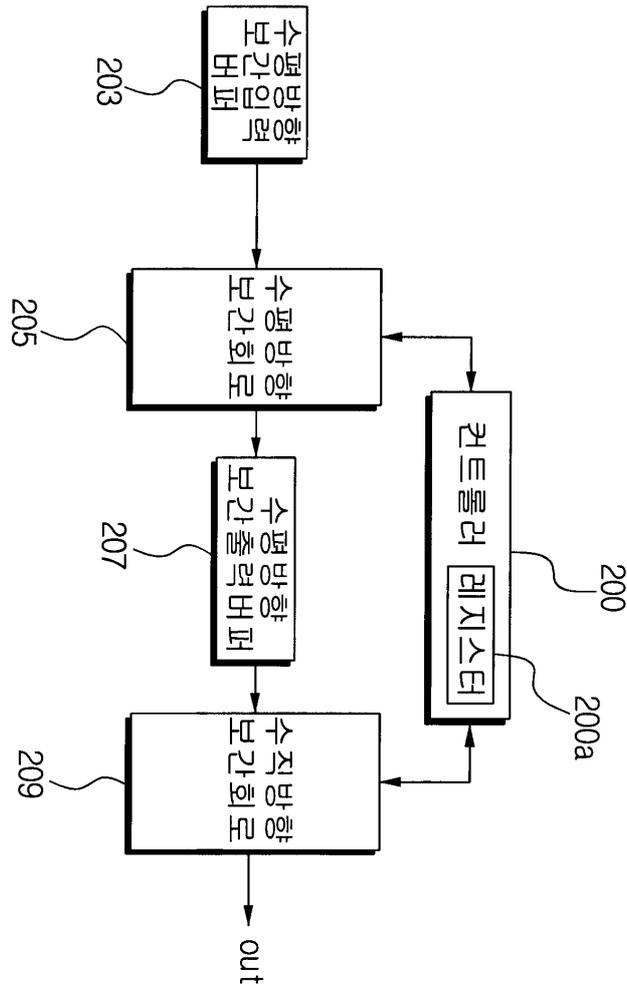
6d



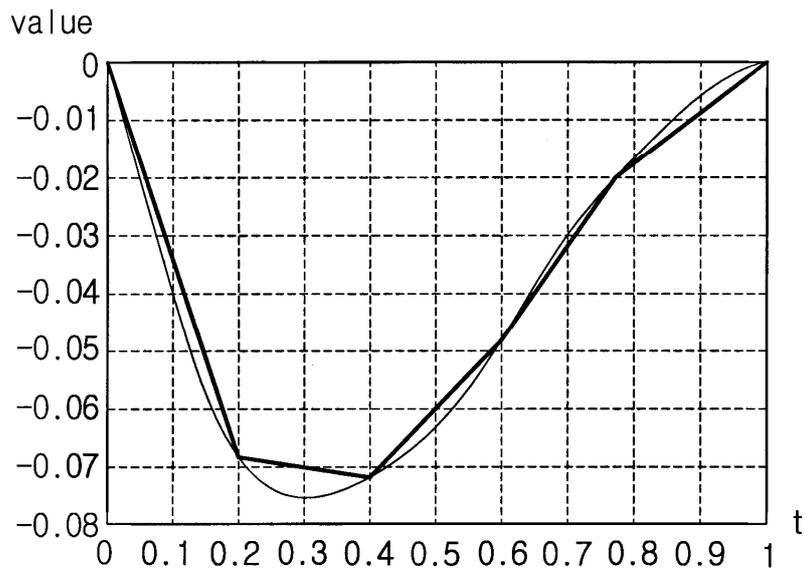
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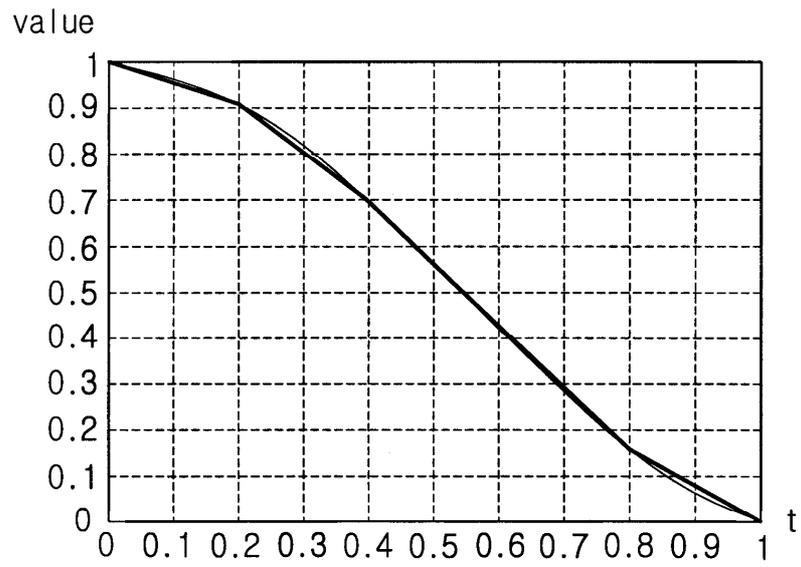
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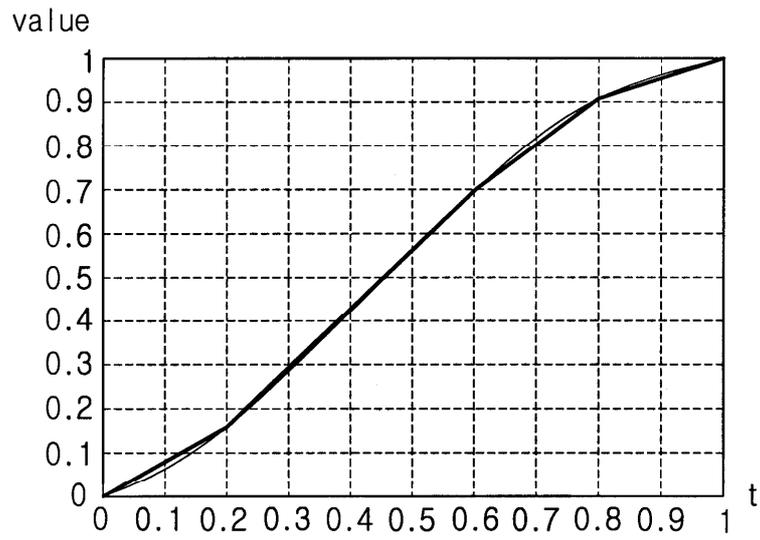
9a



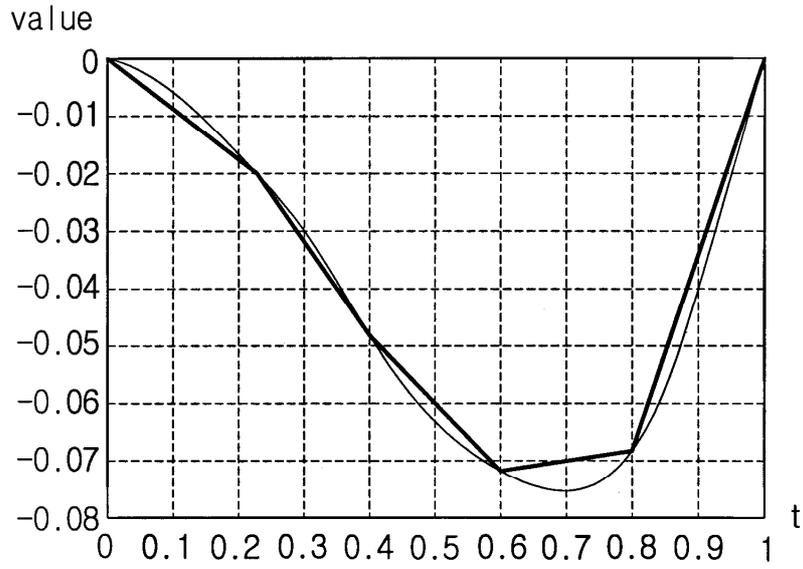
9b



9c



9d



10

